

Chapter 9

Reporting and Interpreting Liabilities

Acct 2301 Fall 08 Li

Key Terms

- Current Liability
- Long-term (noncurrent) liability
- Estimated Liability
- Ratios on Liquidity
- Time value of money
 - Present value
 - Future value
 - Compounded interest rate

Liabilities

- Probable debts or obligations result from past transaction and will be paid by assets or service
- Measured and reported at its current cash equivalent
 - Interest is accounted separately

Current Liabilities

- Accounts Payable
- Short-term notes payable (1 year or shorter maturity period)
- Current portion of Long-term debt
- Salary Payable
- Income taxes payable
- Payroll taxes payable (employee income tax withheld, FICA taxed employee share)
- Deferred Revenue

Long-term Liabilities

- Private debt:
 - Bank loans
 - Notes payable (> 1 year)
- Public debt: Bonds payable.
- Lease (more in intermediate accounting)

Estimated Liabilities - 1

- Estimated liabilities are reported on B/S
 - Probable, and
 - Measurable
- Example: Warranty payable
- Warranty liability and warranty expense are recorded at the time of sale; not at the time when cash was paid for repairs under warranty (why?)

Estimated Liabilities - Warranty

- Example, in December 2005, Best Buy sold XBOX 360 for \$100,000. Along with the sale, a two-year warranty is included. The warranty expense is estimated to be 2% of the sale. In March, 2006, a repair within the warranty incurred, costing \$160. Provide appropriate journal entries.

Estimated Liabilities - 2

- Liabilities are disclosed in Notes
 - Possible but not probable, or
 - Probably but the amount is not subject to estimate
- Remote liabilities are not disclosed

Tests of Liquidity

- Cash ratio
- Quick ratio
- Current ratio
- Working Capital
- Receivable turnover
- Inventory turnover

Time Value of Money

- Time value of Money
 - \$1 today worth more than \$1 tomorrow
 - Chances to earn interests (returns)
- Compounded interest rate
 - Unpaid interest is still earning interest

Present vs. Future Value

- Present Value
 - For money to be received in the future, how much does it worth today?
- Future Value
 - For money saved today, how much does it worth in the future?
- Present / Future Value depends on
 - Interest rate
 - Length of time
 - Frequency of compounding interest

Single amount vs. Annuity

- Single amount
- Annuity is a series of consecutive cash flows of same amount and equally spaced out

Future Value of A Single Amount

- If you put away \$10,000 cash in the saving account today, how much does it worth 2 years later?
 - Interest rate: 6%
 - Assume interest is compounded annually.
 - What if interest is compounded semi-annually?

$$10,000 \times (1+0.06) \times (1+0.06) = \$11,236$$

$$10,000 \times (1+0.03) \times (1+0.03) \times (1+0.03) \times (1+0.03) = \$11,255$$

Present Value of A Single Amount

- How much does \$100,000 worth today to be received 2 years later?
 - Interest rate: 6%
 - Assume interest is compounded annually.
 - What if interest is compounded semi-annually?

$$A \times (1+0.06) \times (1+0.06) = \$10000$$

$$A = \$100,000 / [(1+0.06) \times (1+0.06)] = \$89,000$$

$$B \times (1+0.03) \times (1+0.03) \times (1+0.03) \times (1+0.03) = \$100,000$$

$$B = \$100,000 / [(1+0.03) \times (1+0.03) \times (1+0.03) \times (1+0.03)] = \$88,850$$

Future Value of Annuity

- If you're going to save \$1000 at the end of every year for 3 years, how much will you have at the end of third year?
 - Interest rate: 6%
 - Assume interest is compounded annually.

$$\frac{1000 \times (1+0.06) \times (1+0.06)}{1^{\text{st}} \text{ year}} + \frac{1000 \times (1+0.06)}{2^{\text{nd}}} + \frac{1000}{3^{\text{rd}}}$$

$$= \$1123.60 + 1060 + 1000 = \$3,183.60$$

Present Value of Annuity

- If you're going to receive \$1000 at the end of every year for 3 years, how much does it worth today?
 - Interest rate: 6%
 - Assume interest is compounded annually.

$$\frac{1000}{(1+0.06)} + \frac{1000}{[(1+0.06) \times (1+0.06)]} + \frac{1000}{[(1+0.06) \times (1+0.06) \times (1+0.06)]}$$

$$= \$943.40 + \$890 + \$839.60 = \$2,673$$

How to use the present / future value table?

- Appendix A in text
- Single amount or annuity
- Future value or Present Value
- Find the correct n & r , which gives a factor,
- Multiply the dollar amount in question by the factor

Summary of formula

- r = interest rate
- n = number of periods
- F = future value
- P = present value

$$\text{Future value of \$1: } F_n = \$1 \times (1+r)^n$$

$$\text{Present value of \$1: } P_n = \$1 / (1+r)^n$$

$$\text{Future value of \$1 annuity: } F_n = \$1 \times [(1+r)^n - 1] / r$$

$$\text{Present value of \$1 annuity: } P_n = \$1 \times [1 - 1/(1+r)^n] / r$$

Some clarification

- For single amount, n & r depends on how frequent the interest is compounded
- For annuity, n is the number of cash flows (receipt or payment), r is the corresponding interest rate

Exercises-1

- Melissa is considering several possible investment alternatives.
- Option A: Melissa could receive \$10,000 today.
 - Option B: Melissa could receive \$3,000 at the end of each year for four years.
 - Option C: Melissa could receive \$15,000 five years from now.
 - Which option results in the greatest financial benefit to Melissa assuming Melissa can earn 8% on any of the investment funds?

Exercises-3

- Option A: The present value is \$10,000.
- Option B: The present value is $\$3,000 \times 3.3121$ (present value of an annuity; 4 periods at 8%) or \$9,936.30.
- Option C: The present value is $\$15,000 \times 0.6806$ (present value of \$1; five periods at 8%) or \$10,209.

Exercises-4

If your goal is to have \$50,000 cash in your saving account 5 years from today. Assume interest is compounded annually.

- 1) How much money do you need to put in today to a saving account with 6% compounding interest rate?
- 2) Instead of depositing a single amount, you decide to put away some fixed amount at the end of every year for 5 years. How much should you save every year?

Exercises-4

Suppose Y is the amount that you need to put in today: using the future value table,

$$Y \times 1.3382 \text{ (future value table of single amount, } n=5, r=6\%) = \$50,000,$$

Then solve for $Y = \$37,364$.

Alternatively, you can use the present value table.

$$P.V. (\$50,000) = ?$$

$$\text{Factor} = 0.7473$$

Suppose Z is the amount that you need to put at the end of every year:

$$Z \times 5.6371 \text{ (future value table of annuity, } n=5, r=6\%) = \$50,000,$$

Then solve for $Z = \$8,870$.